

JACKSON PROBLEM FRAMES and the Composition Problem

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Composing Problem Frames

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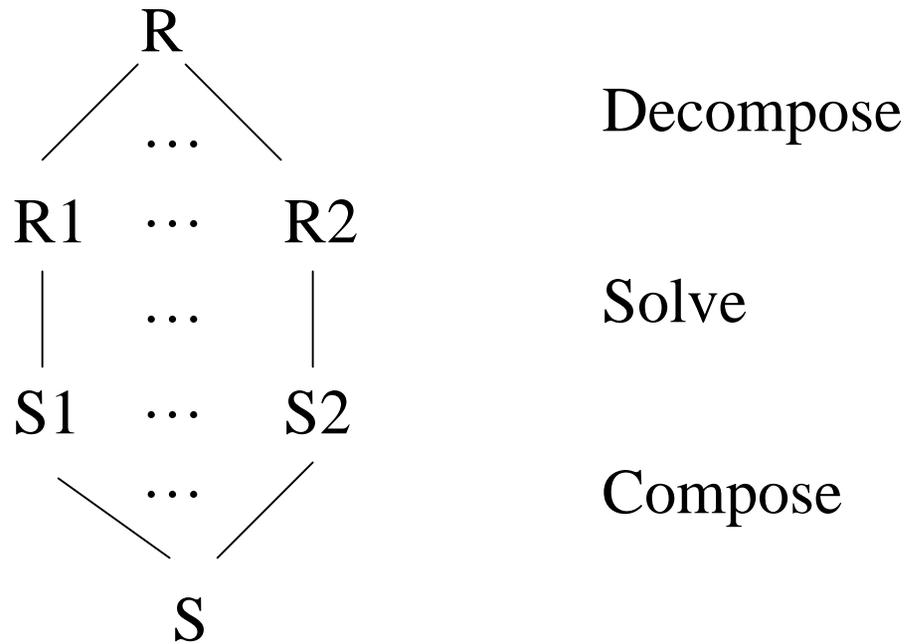
Overview

1. Problem Decomposition
2. Introduce Problem Frames
 - Running Example (Sluice Gate)
3. Introduce Event Calculus
4. Propose approach to Composition Problem

Problem Decomposition

- Make sure we are solving right problem
- Decompose problem rather than solution
- Aim at known sub-problem patterns
 - That we know how to solve
- Recompose solutions to give system
 - Many problems - some addressed here

Decomposition/Recomposition



$S, W \Rightarrow R$

(Gunter et al Ref Model)

Problems

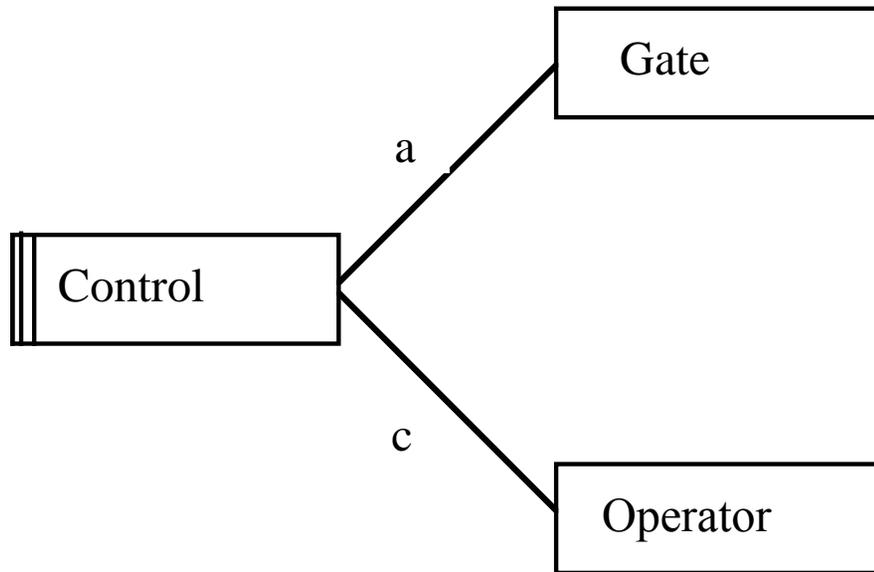
- Inconsistent Requirements
- Inconsistent Specifications
- Inconsistent Models
- Interference Effects on Problem Domains

Sluice Gate Example Requirements

P – The gate should be opened for the first ten minutes of each three-hour period.

OI – The gate should respond to raise, lower and halt commands issued by an operator.

Context Diagram



a: C!{up, down, off}
G!{Top, Bottom}

c: O!{raise, lower, stop}

Sluice Gate Domain (1)

- When stopped, will react to an **up** event by moving upwards, unless already fully open.
- When stopped, it will react to a **down** event by moving downwards, unless already fully closed.
- When it receives an **off** event it will turn its motor off, stopping any motion.

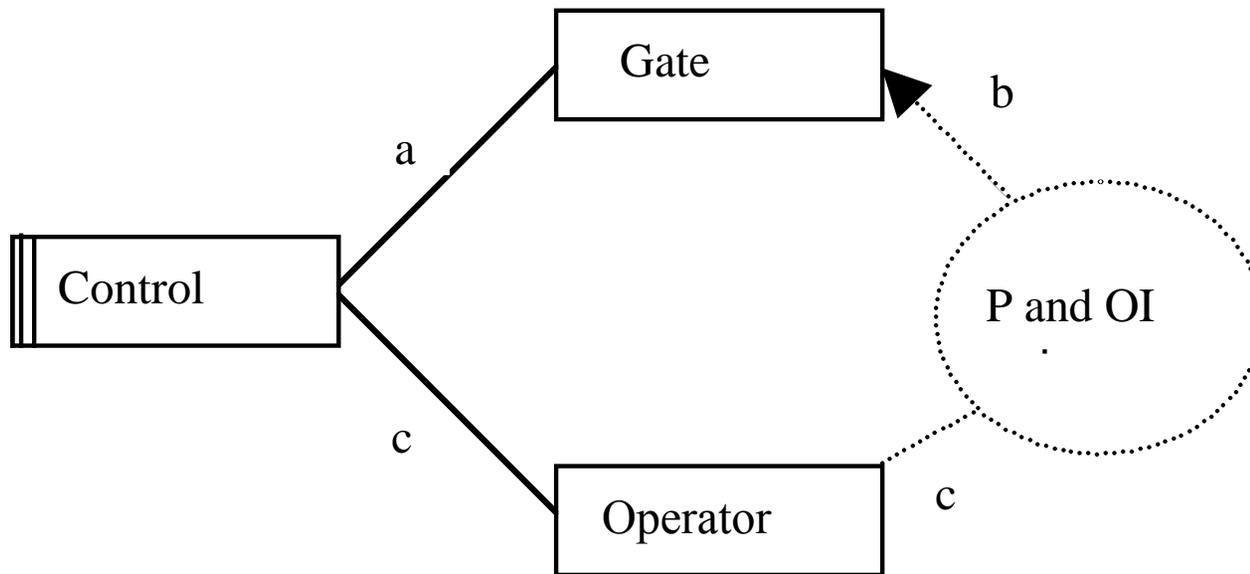
Sluice Gate Domain (2)

- When it detects that it is fully open it will generate a **Top** event.
- When it detects that it is fully closed, it will generate a **Bottom** event.

Operator Domain

- The operator will generate **raise** commands to request the gate moves upwards,
- **lower** commands to request the gate moves downwards, and
- **halt** commands to request the gate stops.

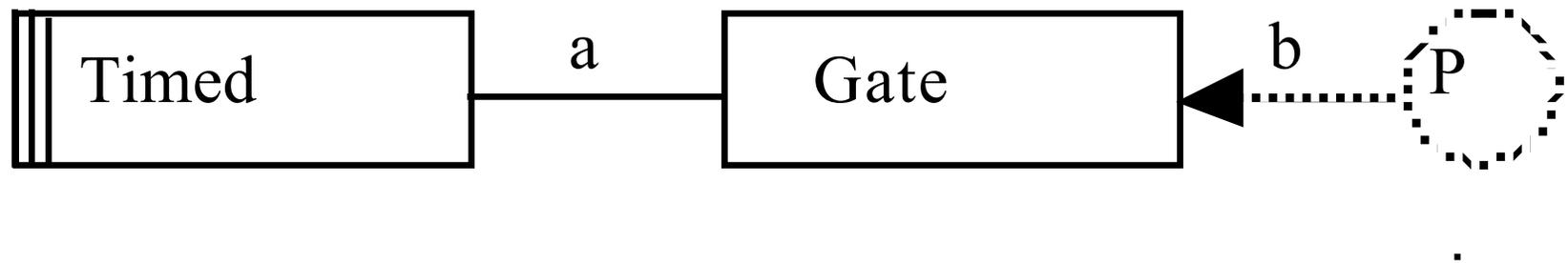
Problem Diagram



a: C!{up, down, off}
G!{Top, Bottom},

b: G!{Open, Shut}
c: O!{raise, lower, stop}

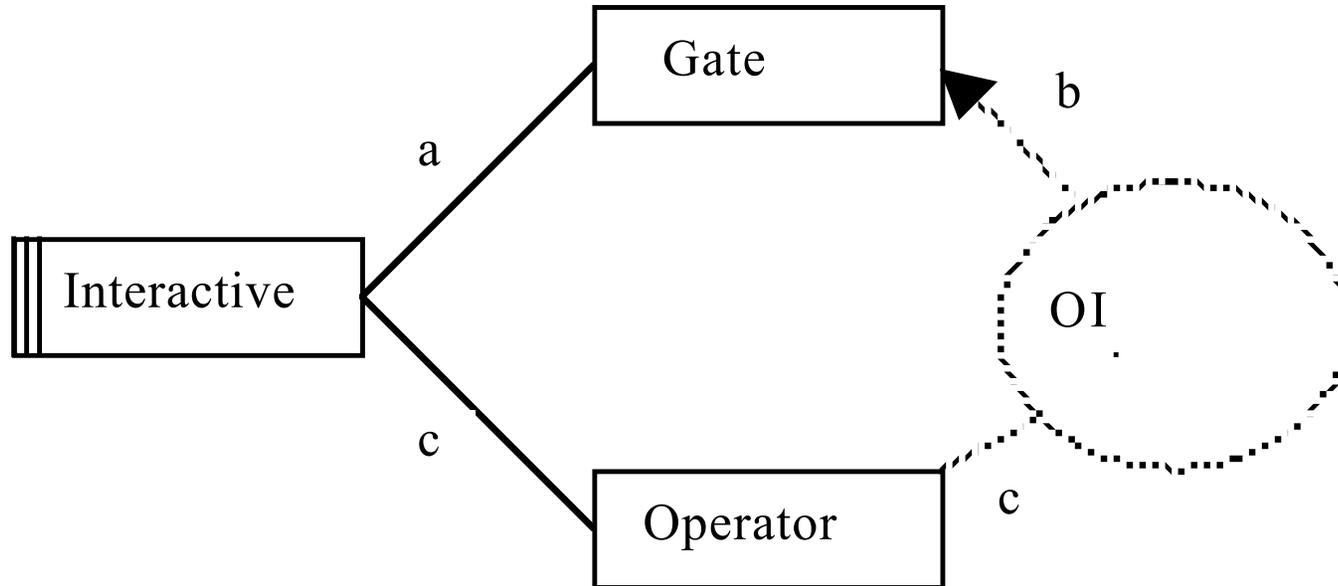
Required Behaviour Frame for Req P



a: T!{up,down,off}
G!{Top,Bottom},

b:G!{Open,Shut}

Commanded Behaviour Frame for Req OI



a: I!{up, down, off}
G!{Top, Bottom},

b: G!{Open, Shut}
c: O!{raise, lower, stop}

Composition Problem

- Problem domains react to machines
- When we compose machines
 - Interference between machines possible
 - Interference experienced by problem domains

Options for Dealing with Interference

1. Allow!
2. Mutual Exclusion
3. Mutual Exclusion with Priorities
4. Mutual Exclusion with Event Priorities

Event Calculus

- Robert Kowalski & Marek Sergot 1986
- Slides Based on:
The event Calculus Explained
Murray Shanahan
Artificial Intelligence Today, ed. M.J.Wooldridge
and M.Veloso, Springer Lecture Notes in
Artificial Intelligence no. 1600, Springer (1999),
pages 409-430.

Ontology

- Actions or Events (a)
- Fluents (f)
- Time Points (t)

- (Variables Universally quantified by default)

What Happens When

- Initially(f)
- Happens(a,t)
- $t1 < t2$

What Actions Do

- Initiates (a,f,t)
- Terminates(a,f,t)
- Trajectory(f1,t,f2,delta)

What's true when

- HoldsAt (f,t)
- Clipped(t1,f,t2)

Event Calculus Axioms(1)

$\text{HoldsAt}(f, t1) \leftarrow \text{Initially}(f) \wedge \neg \text{clipped}(0, f, t1)$

$\text{HoldsAt}(f, t2) \leftarrow \text{Happens}(a, t1) \wedge \text{Initiates}(a, f, t1)$

$t1 < t2 \wedge$

$\neg \text{clipped}(t1, f, t2)$

Event Calculus Axioms (2)

$\text{HoldsAt}(f2, t3) \leftarrow$

$\text{Happens}(a, t1) \wedge \text{Initiates}(a, f1, t1) \wedge$

$\text{Trajectory}(f1, t1, f2, d) \wedge$

$t2 = t1 + d \wedge t1 < t2 < t3 \wedge$

$\neg \text{clipped}(t1, f1, t2) \wedge \neg \text{clipped}(t2, f2, t3)$

Event Calculus Axioms(3)

$\text{Clipped}(t1, f, t2) \leftrightarrow \exists a, t$

$[\text{Happens}(a, t) \wedge t1 < t < t2 \wedge \text{Terminates}(a, f, t)]$

Sluice Gate Phenomena

- Actions
 - up,down, off [Machine]
 - raise, lower, stop [Operator]
- Events
 - Top, Bottom [Gate]
- Fluents
 - MovingUp, MovingDown, [New!]
 - Stopped
 - Open, Shut [Requirement]

Sluice Gate Description

Initiates(up,MovingUp,t) ← HoldsAt(Stopped,t) (G1)
Initiates(down,MovingDown,t) ← HoldsAt(Stopped,t) (G2)
Initiates (off,Stopped,t) (G3)
Initiates (top,Open,t) (G4)
Initiates (bottom,Shut,t) (G5)

Sluice Gate : Common Sense?

| | |
|--|-------|
| Trajectory(MovingUp,t,Open,sufftime) | (G6) |
| Trajectory(MovingDown,t,Shut,sufftime) | (G7) |
| Terminates(down,Open,t) | (G8) |
| Terminates(up,Shut,t) | (G9) |
| Terminates(off,MovingUp,t) | (G10) |
| Terminates(off,MovingDown,t) | (G11) |

Requirement (P)

Making Sure the Gate is Open at Start of three hour period and

Keep Gate open for first ten minutes of three hour period

$\text{HoldsAt}(\text{Open}, t1) \wedge \neg \text{clipped}(t1, \text{Open}, t1+10) \wedge t1 \bmod 180 = 0$

Prohibiting Events

| Formula | Meaning |
|---|---|
| $\text{prohibit}(\alpha, \tau_1, \tau_2)$ | Event α should not occur between times τ_1 and τ_2 |

$\text{prohibit}(a, t_1, t_2) \Leftrightarrow$
 $\neg \exists a, t (\text{Happens}(a, t) \wedge t_1 < t < t_2)$

Specification (Timed)

$((\text{Initially}(\text{Open}) \wedge \text{prohibit}(\text{down}, 0, t1) \wedge t1 \bmod 180 = 0)$

OR

$(\text{Happens}(\text{Top}, t) \wedge \text{prohibit}(\text{down}, t, t2) \wedge$

$t2 \bmod 180 = 0 \wedge t < t2)$

OR ...

Specification Continued (Timed)

$(\text{Happens}(\text{up}, t1) \wedge \text{Happens}(\text{off}, t1 - 1) \wedge$
 $t2 = t1 + \text{sufftime} \wedge t1 < t2 < t \wedge$
 $\text{prohibit}(\text{off}, t1, t2) \wedge \neg \text{prohibit}(\text{down}, t2, t)$
 $\wedge t \bmod 180 = 0))$

AND

$(\text{prohibit}(t1, \text{down}, t1 + 10) \wedge t1 \bmod 180 = 0)$

Requirement OI

- $\exists d . \text{Happens}(\text{raise}, t) \rightarrow \text{HoldsAt}(t+d, \text{MovingUp}) \wedge$
- $\exists d . \text{Happens}(\text{lower}, t) \rightarrow \text{HoldsAt}(t+d, \text{MovingDown}) \wedge$
- $\exists d . \text{Happens}(\text{halt}, t) \rightarrow \text{HoldsAt}(t+d, \text{Stopped})$

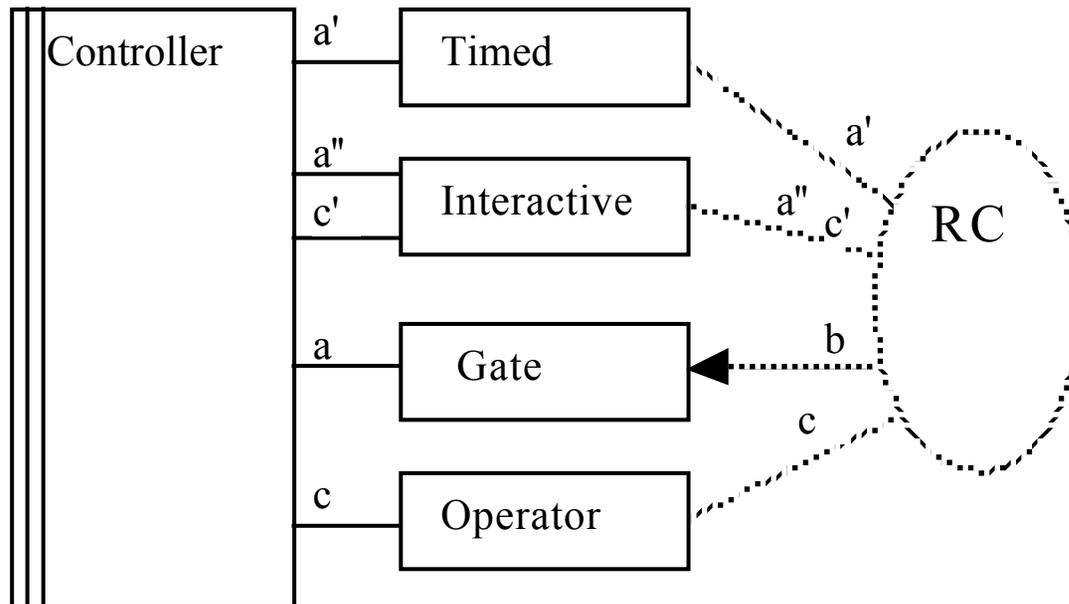
Specification (Operated)

$(\text{Happens}(\text{raise},t) \rightarrow \text{Happens}(\text{off},t+1) \wedge \text{Happens}(\text{up},t+2)) \wedge$

$(\text{Happens}(\text{lower},t) \rightarrow \text{Happens}(\text{off},t+1) \wedge \text{Happens}(\text{down},t+2)) \wedge$

$(\text{Happens}(\text{halt},t) \rightarrow \text{Happens}(\text{off},t+1))$

Composition Frame



a: C!{up, down, off}
 G!{Top, Bottom},
 a'': I!{up, down, off, prohibit(...)}
 C!{Top, Bottom}
 b: G!{Open, Shut}

a': T!{up, down, off, prohibit(...)}
 C!{Top, Bottom},
 c: O!{raise, Lower, stop}
 c': C!{raise, lower, stop}

Related Work

- Inconsistency Management
 - Robinson et al.
- Managing Conflicts
 - Van Lamsweerde et al.
- Feature Interaction
 - Zave
- Architectural Connectors
 - Allen and Garlan
- Abductive Approaches and Events
 - Garcez, Russo, Miller, Nuseibeh, Kramer

Frame Problem

Scenario adapted from Hanks & Mcdermott 87

- Filling a Bucket and Dipping a Cloth
 - HappensAt(fill,1) (fill initiates Full)
 - HappensAt(sneeze,2)
 - HappensAt(dip,3) (dip and Full initiates Wet)
 - HoldsAt(Wet,4) ???
- Solution
 - Inertial Assumption (fluents persist...)
 - Uniqueness of names